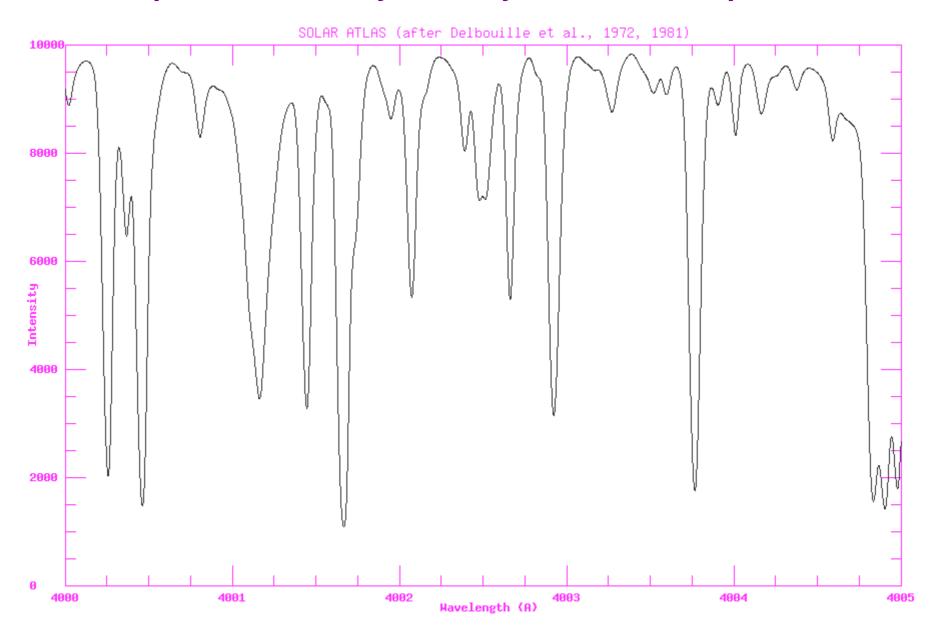
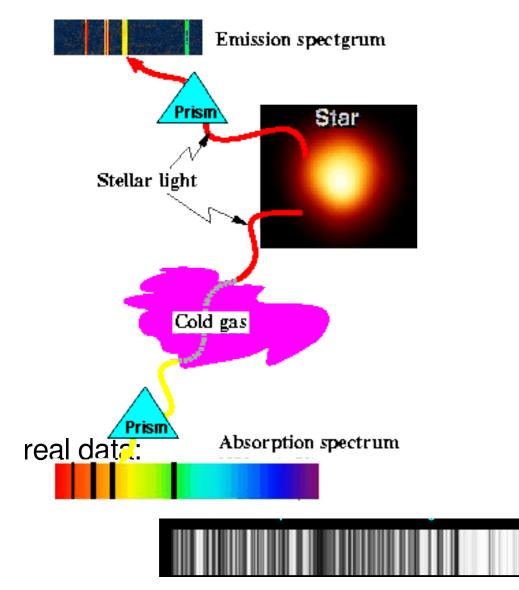
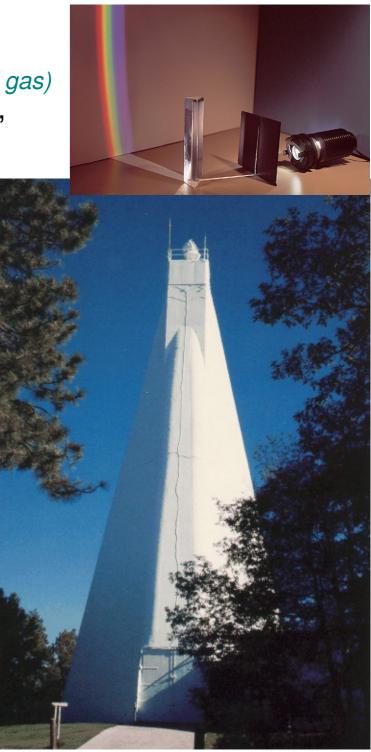
Photons

Astronomy is based on observing photons from celestial bodies temperature, density, velocity, chemical composition



Absorption Spectrum of stars (silhouette of the cold gas) spectrum of blackbody radiation at the photosphere, some frequencies absorbed by cooler gas nearer the surface

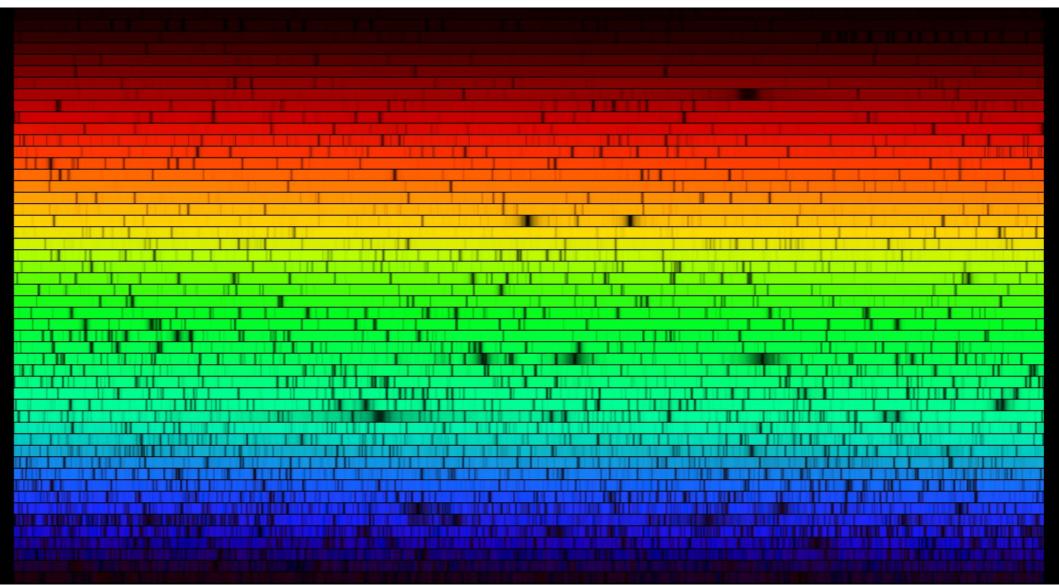




NSO Solar telescope

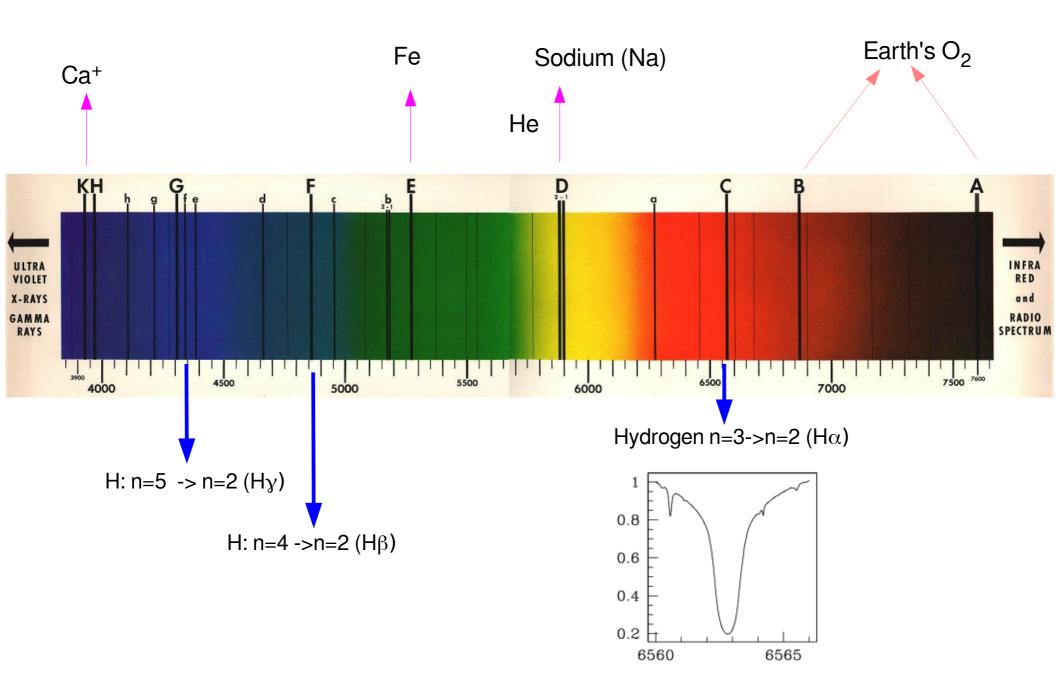
Mid-resolution solar spectrum

High-resolution



Optical Spectrum of the Solar lights ---- Fraunhofer lines from www.harmsy.freeuk.com/fraunhofer.html

absorption features: flux deficit in the blackbody radiation spectrum



Energy Levels for a hydrogen atom Example: hydrogen atom (p⁺ + e⁻)

planetary-like orbits Electro-static potential $U = -\frac{1}{4\pi\epsilon_0} \frac{e^2}{r}$ Virial theorem: $\langle E \rangle = \langle E_{kin} \rangle + \langle U \rangle = \frac{1}{2} \langle U \rangle = -\frac{1}{4\pi\epsilon_0} \frac{e^2}{2r}$ Planets: r arbitrary; atom: infinite possibilities? **but quantized angular momentum (Bohr)** Angular momentum of the orbit

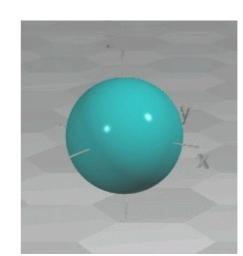
 $J = \mu v r \approx m_e v r = n\hbar = n\frac{h}{2\pi}$ r is quantized, and so is E.

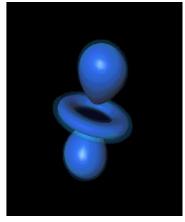
discreet energy levels (n=1,2,3....)

$$-\frac{1}{4\pi\epsilon_{0}}\frac{e^{2}}{2r} = -\frac{1}{2}m_{e}v^{2} = -\frac{1}{2}\frac{(n\hbar)^{2}}{m_{e}r^{2}}$$

So, $r = r_{n} = 4\pi\epsilon_{0}\frac{\hbar^{2}n^{2}}{m_{e}e^{2}} \sim 0.5\,\text{\AA}n^{2}\propto n^{2}$

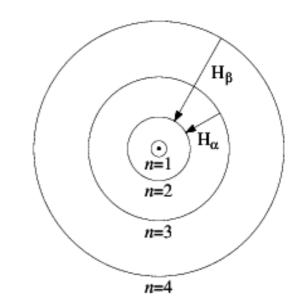
$$E_{n} = -\frac{m_{e}e^{4}}{2(4\pi\epsilon_{0}\hbar)^{2}}\frac{1}{n^{2}} = -\frac{13.6 \ eV}{n^{2}}$$



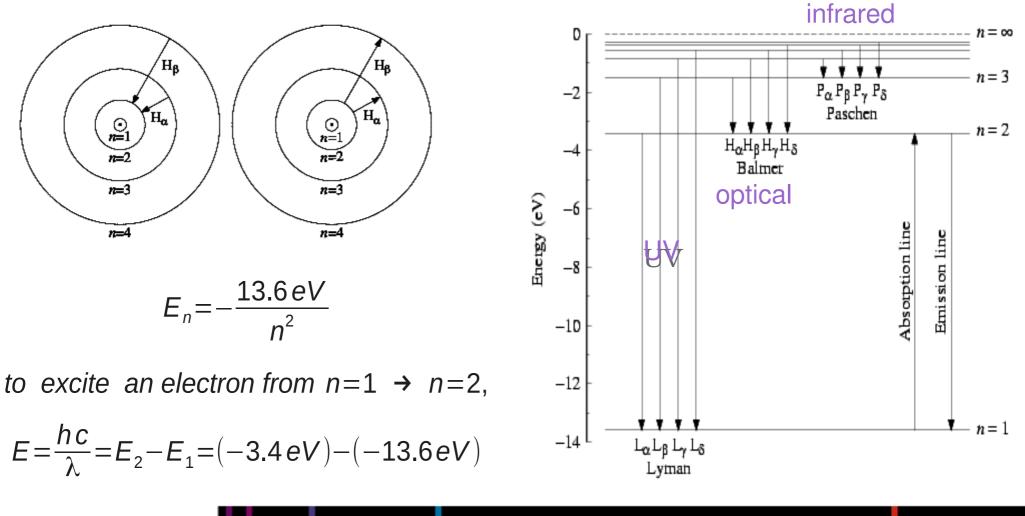


Reality: electron clouds probability functions

----- Bohr's model for hydrogen

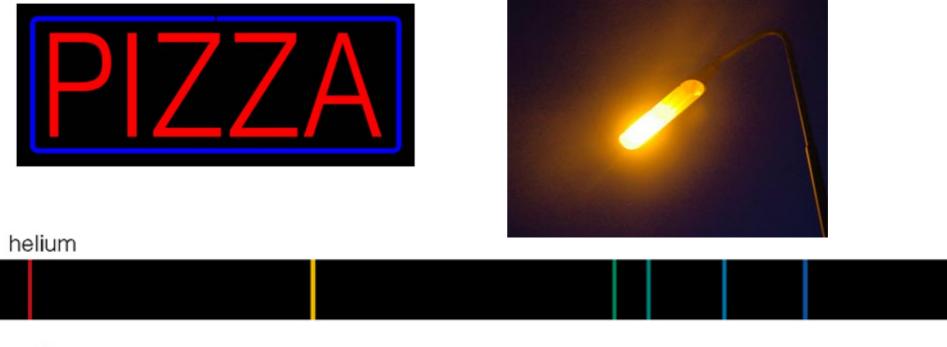


Photon-matter interaction and spectral lines absorption vs. emission





Everyday applications of spectral lines: neon lights, street lights, energy-efficient light bulbs...



sodium



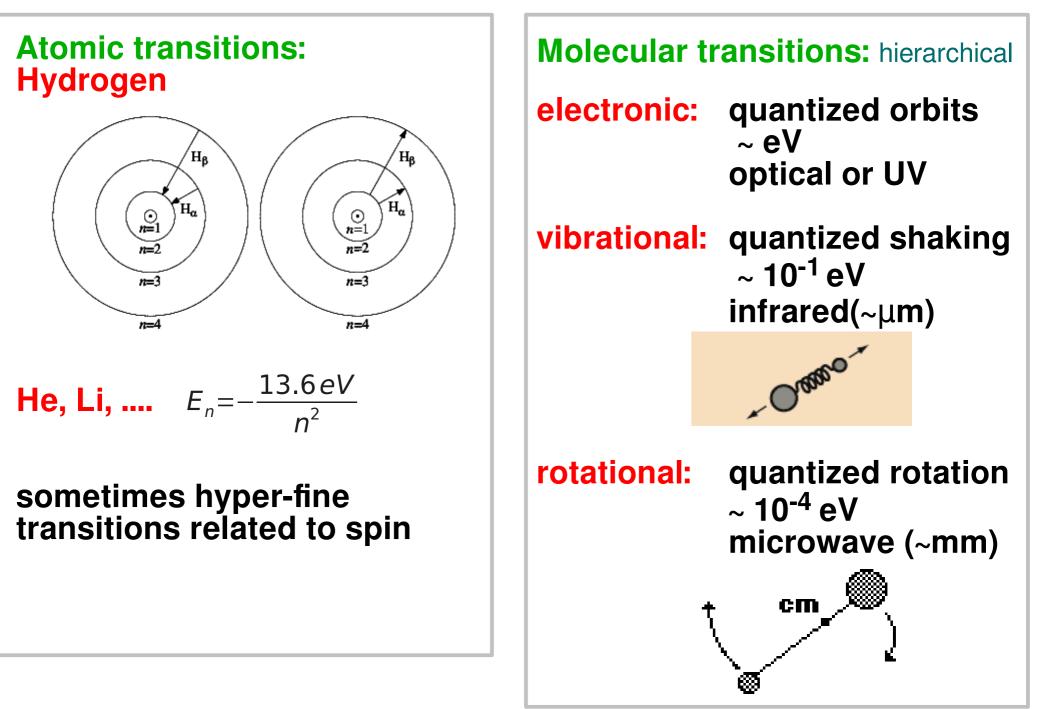
Objects emitting primarily in lines

0.2 parsec

NGC6543 (cat's eye planetary nebula), [OIII], H_{α} , [NII]

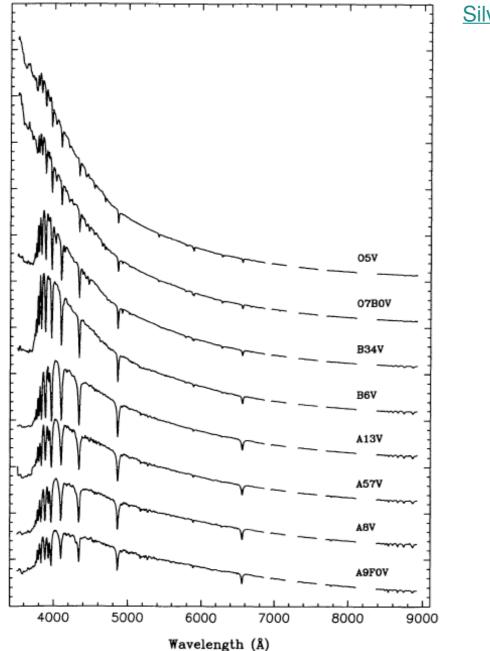
M 57

Types of Spectral Lines

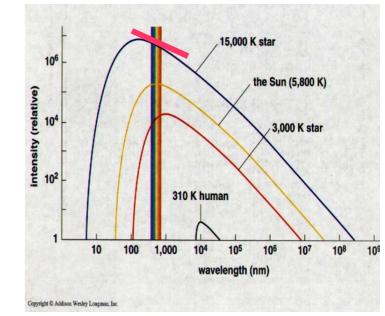


Spectra of stars much hotter than the Sun

O stars ~40,000K, H ionised, see He and He⁺ (and highly ionized metals in UV) B stars ~15,000 K, H largely ionised, but strong, neutral He A stars, ~8,000 K, H very strong



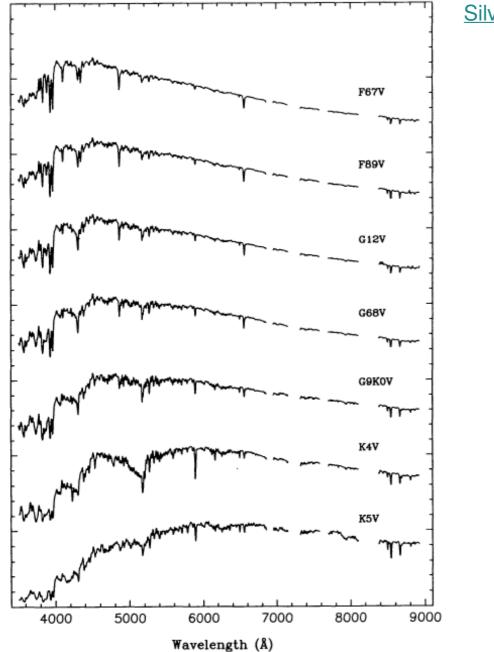
Silva & Cornell, 1992, Astroph.J.Supp. 81, 865



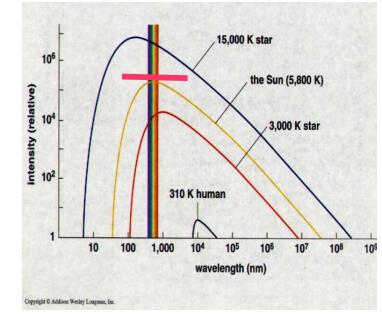
Relative Flux

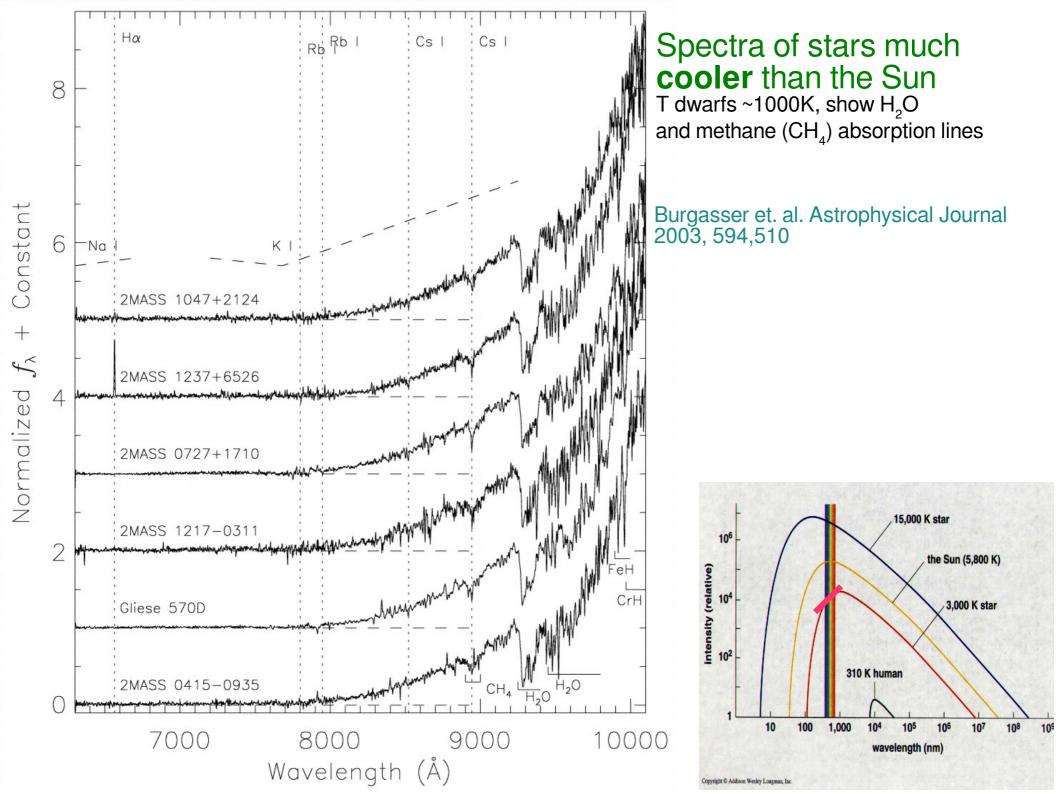
Spectra of stars similar to the Sun

F stars ~6,700K, H less strong, Na, Mg, Ca⁺ becoming stronger G stars ~5,600 K, H largely neutral, strong neutral/singly-ionised metal lines K stars, ~4,400 K, neutral metals dominate, molecules appearing



Silva & Cornell, 1992, Astroph.J.Supp. 81, 865

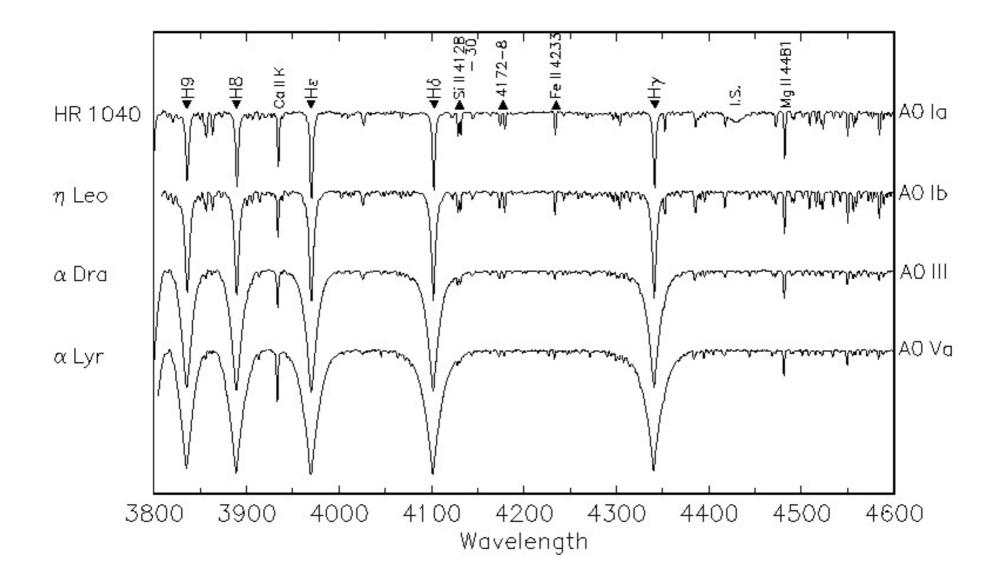




Lines tell not just about temperature, but also density

Denser \rightarrow more collisions \rightarrow more disturbances of atoms/ions \rightarrow wider lines Stronger gravity \rightarrow scale height smaller \rightarrow see down to denser regions

"Rule" I learned: normal star, Balmer up to 14, White dwarf, up to 8: higher levels (size ~ n²) cannot exist



FIRST RESULTS FROM THE SWARMS SURVEY. SDSS 1257+5428: A NEARBY, MASSIVE WHITE DWARF BINARY WITH A LIKELY NEUTRON STAR OR BLACK HOLE COMPANION

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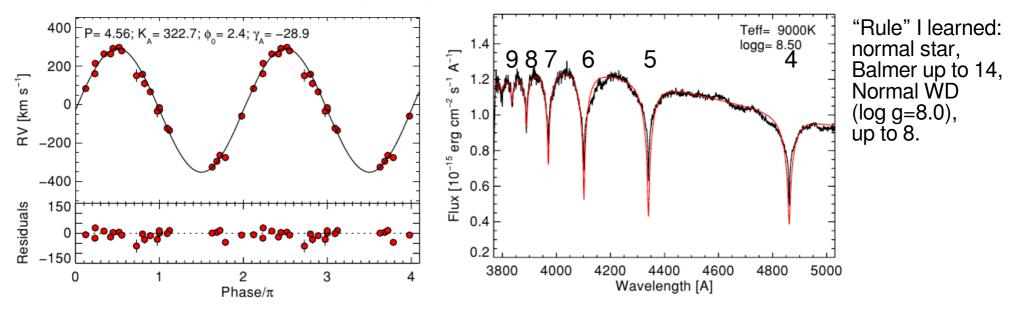
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Received 2009 July 21; accepted 2009 October 16; published 2009 December 1

ABSTRACT

We present the first results from the SWARMS survey, an ongoing project to identify compact white dwarf (WD) binaries in the spectroscopic catalog of the Sloan Digital Sky Survey (SDSS). The first object identified by SWARMS, SDSS 1257+5428, is a single-lined spectroscopic binary in a circular orbit with a period of 4.56 hr and a semiamplitude of $322.7 \pm 6.3 \text{ km s}^{-1}$. From the spectrum and photometry, we estimate a WD mass of $0.92_{-0.32}^{+0.28} M_{\odot}$. Together with the orbital parameters of the binary, this implies that the unseen companion must be more massive than $1.62_{-0.25}^{+0.20} M_{\odot}$, and is in all likelihood either a neutron star or a black hole. At an estimated distance of 48_{-19}^{+10} pc, this would be the closest known stellar remnant of a supernova explosion.

Key words: binaries: close - binaries: spectroscopic - supernovae: general - white dwarfs



THE (DOUBLE) WHITE DWARF BINARY SDSS 1257+5428

S. R. KULKARNI AND M. H. VAN KERKWIJK¹

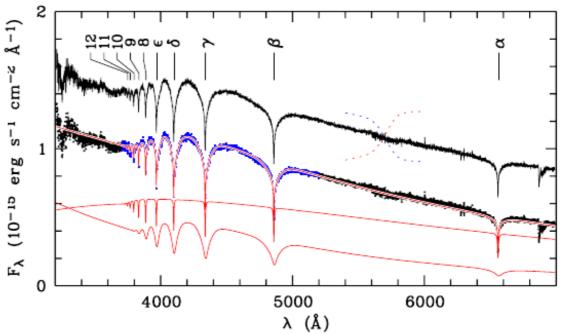
Caltech Optical Observatories 249–17, California Institute of Technology, Pasadena, CA 91125, USA Received 2010 March 10; accepted 2010 June 9; published 2010 July 27

ABSTRACT

SDSS 1257+5428 is a white dwarf in a close orbit with a companion that has been suggested to be a neutron star. If so, it hosts the closest known neutron star, and its existence implies a great abundance of similar systems and a rate of white dwarf neutron-star mergers similar to that of the type Ia supernova rate. Here, we present high signal-to-noise spectra of SDSS 1257+5428, which confirm an independent finding that the system is in fact composed of two white dwarfs, one relatively cool and with low mass and the other hotter and more massive. With this, the demographics and merger rate are no longer puzzling (various factors combine to lower the latter by more than 2 orders of magnitude). We show that the spectra are fit well with a combination of two hydrogen model atmospheres, as long as the lines of the higher-gravity component are broadened significantly relative to what is expected from just pressure broadening. Interpreting this additional broadening as due to rotation, the inferred spin period is short, about 1 minute. Similarly rapid rotation is only seen in accreting white dwarfs that are magnetic; empirically, it appears that in non-magnetized white dwarfs, accreted angular momentum is lost by nova explosions before it can be transferred to the white dwarf. This suggests that the massive white dwarf in SDSS 1257+5428 is magnetic as well, with $B \simeq 10^5$ G. Alternatively, the broadening seen in the spectral lines could be due to a stronger magnetic field, of $\sim 10^6$ G. The two models can be distinguished by further observations

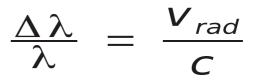
Key words: binaries: close - stars: individual (SDSS J12573)

the observed Balmer lines. From a more detailed look at the spectral fits of Badenes et al. (2009), one sees that these poorly match the narrow cores of lower Balmer lines and underpredict the higher Balmer lines. The presence of the higher Balmer lines is indicative of lower gravity, since these lines are very sensitive to pressure broadening (the size of a hydrogen atom is quadratically proportional to the upper level of the transition). Combined with the wide wings shown by the lower Balmer lines, which require high gravity, this supports the idea that the observed spectrum of SDSS 1257+5428 is produced by more than one DA white dwarf.



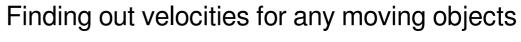
Doppler Shifts: blue-shift & red-shift











- 1) Expansion of the universe
- 2) Detecting planets around other stars
- 3) Finding black holes
- 4) Measuring stellar masses in binaries
- 5) Rotation of the galaxy

6)...

... getting out of the way of a fire engine





Extra Note: Equation of Radiative Transfer One last hurdle towards constructing a physical star:

Every layer in the star with T = T(r) absorbs all radiation and emits as a blackbody $F = \sigma T^4$ Temperature $T_2 = T_1 + \frac{dT}{dr} dr < T_1$

Net flux
$$F = F_1 - F_2 = \sigma (T_1^4 - T_2^4) \sim 4 \sigma T^3 \frac{dT}{dr} dr$$

Where $dr \sim diffusion$ length $\sim I_{mfp} \sim \frac{1}{n\sigma} \sim \frac{1}{\kappa\rho}$

Detailed derivation: Equation of radiative transfer:

$$F = -\frac{16\sigma T^{3}}{3\kappa\rho}\frac{dT}{dr}$$

Or
$$\frac{dT}{dr} = -\frac{3\kappa\rho}{16\sigma T^{3}}\frac{L_{r}}{4\pi r^{2}}$$

